

3.0 - Capacitors

About capacitors

Capacitors are very simple electrical devices composed of at least two conductive plates separated by an insulator. Despite their apparent inability to conduct current, you will find capacitors in almost all electronic circuits, and specifically in charge storage and frequency filtering circuits.

Capacitor activity

1. What is a capacitor, and what do capacitors do?
2. Do capacitors conduct current? Explain why or why not.
3. Obtain the 470 μF capacitor from your kit of CHRP parts. If your multimeter has a capacitance measurement function, measure the value of the capacitor. Otherwise, record the labelled value.
Note: This is a polarized capacitor. Be sure to observe the correct polarity during measurement and when connecting polarized capacitors to a power supply!

C =

4. Draw a schematic diagram of your capacitor in series with a 10 $\text{k}\Omega$ resistor and connected to a 10 V power supply.
5. Build the capacitor circuit that you drew, above, on a breadboard.
6. The time constant of an R-C (resistor-capacitor) circuit is given by the formula: $\tau = R \times C$. Measure the value of your resistor, and calculate the time constant of your R-C circuit.

R =

τ =

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7. Disconnect the power supply from your circuit and set it to 10 V. Record its potential.

$$E_T =$$

8. In the next steps, you will be measuring the charge time of the capacitor. To accurately measure charge time, you must ensure the capacitor is discharged before you begin.

Turn the power supply off. Connect the power supply to your circuit, verifying the proper power supply and capacitor polarity. Measure the capacitor potential (it should be 0 V).

$$V_C =$$

9. Next, you will measure the voltage drop across the capacitor at 10 second intervals. Start timing as soon as you turn the power supply on and record the capacitor potential every 10 seconds.

$$0 \text{ s} \quad V_C = \mathbf{0 \text{ V}} \qquad 10 \text{ s} \quad V_C = \qquad 20 \text{ s} \quad V_C =$$

$$30 \text{ s} \quad V_C = \qquad 40 \text{ s} \quad V_C = \qquad 50 \text{ s} \quad V_C =$$

$$60 \text{ s} \quad V_C = \qquad 70 \text{ s} \quad V_C = \qquad 80 \text{ s} \quad V_C =$$

10. Using the measurements from the chart, above, graph the capacitor voltage over time.

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Capacitor analysis

11. Approximately how much time does it take to charge the capacitor up to:

60% of full charge -

80% of full charge -

100% of full charge -

12. The time constant that you calculated in step 6 should represent the time needed to charge the capacitor to approximately 63% of full charge, and full charge should be achieved after a time duration equal to five time constants. How well does your calculation match the measurements?